

# Precision branching-ratio measurement for the superallowed Fermi $\beta$ emitter $^{18}\text{Ne}$

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February 10, 2021

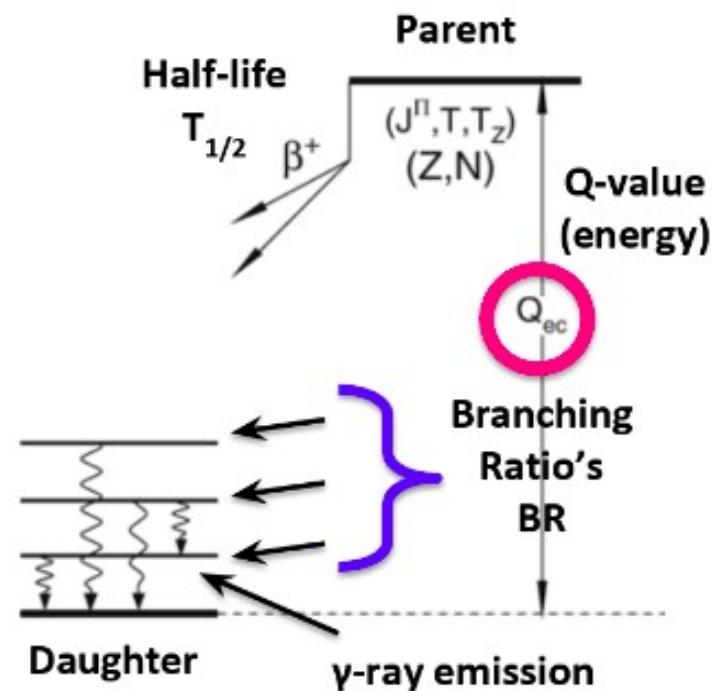
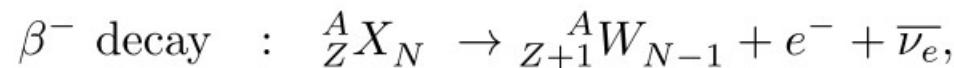
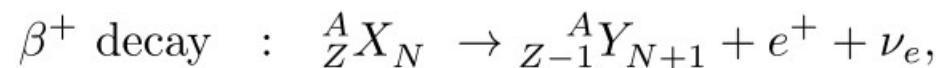


# Overview

- Introduction
  - I. Nuclear  $\beta$  decay
  - II. Why  $^{18}\text{Ne}$ ?
- Experimental Setup
  - I. GANIL Lab
  - II. Detector system
- Results
- Future plan

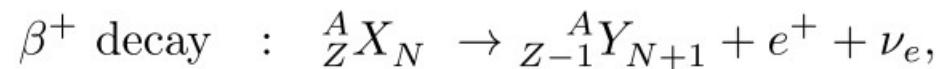
# Nuclear $\beta$ decay

- Nuclear  $\beta$  decay occurs when an unstable nucleus of an atom, with atomic number ( $Z$ ) and neutron number ( $N$ ), transforms into a more stable nucleus, with  $Z \pm 1$  and  $N \pm 1$

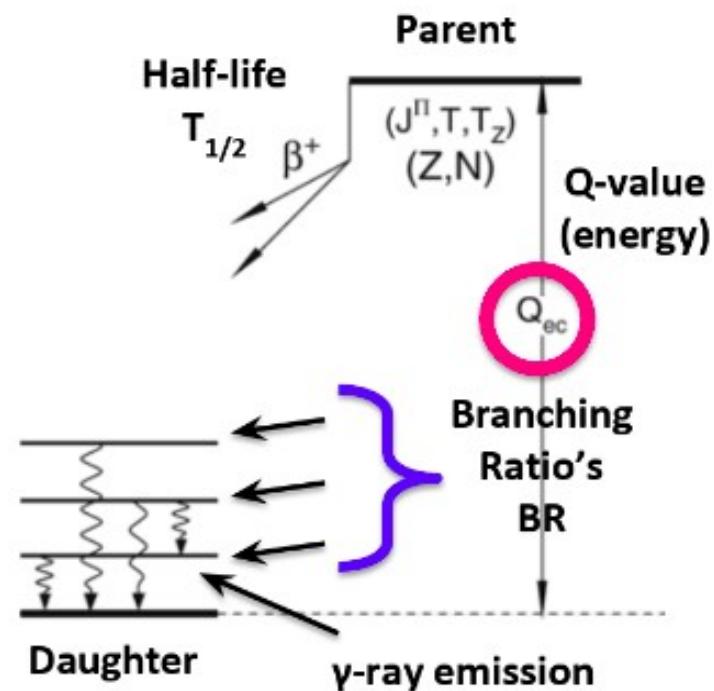


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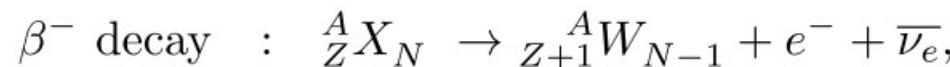
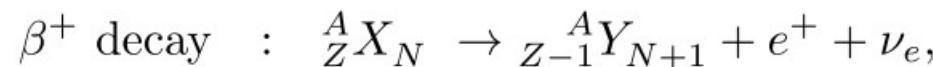


- $\beta$  decays can be characterized by:
  - $Q$  value** (energy released)
  - Half life  $T_{1/2}$**  (parent nucleus)
  - Branching ratio (BR)** (to a particular state of interest in the daughter)



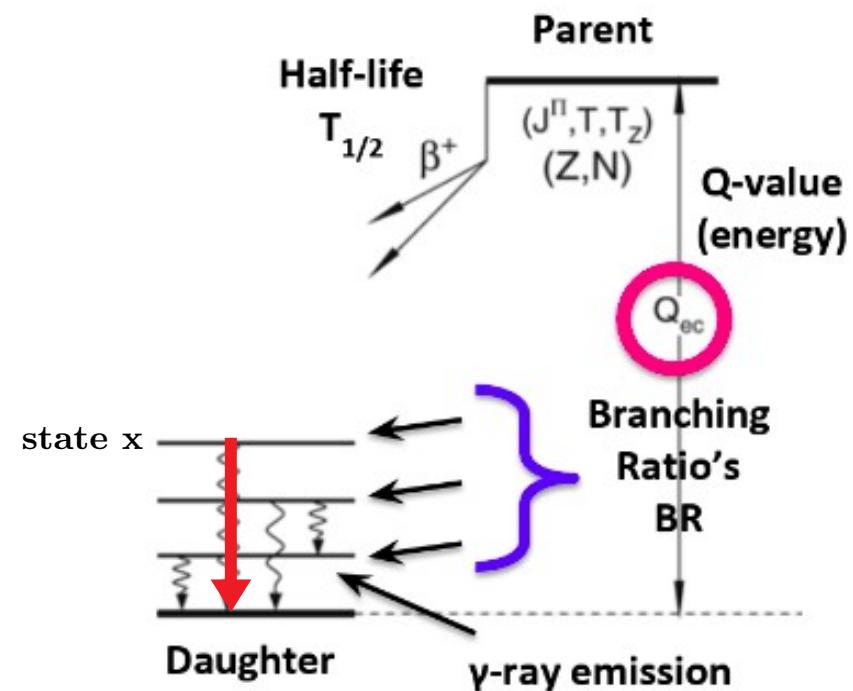
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$$BR \cong \frac{N_{\gamma(x)}}{N_{\beta_{\text{Tot}}}}$$



# Nuclear $\beta$ decay – selection rules

Angular momentum ( $L$ ):

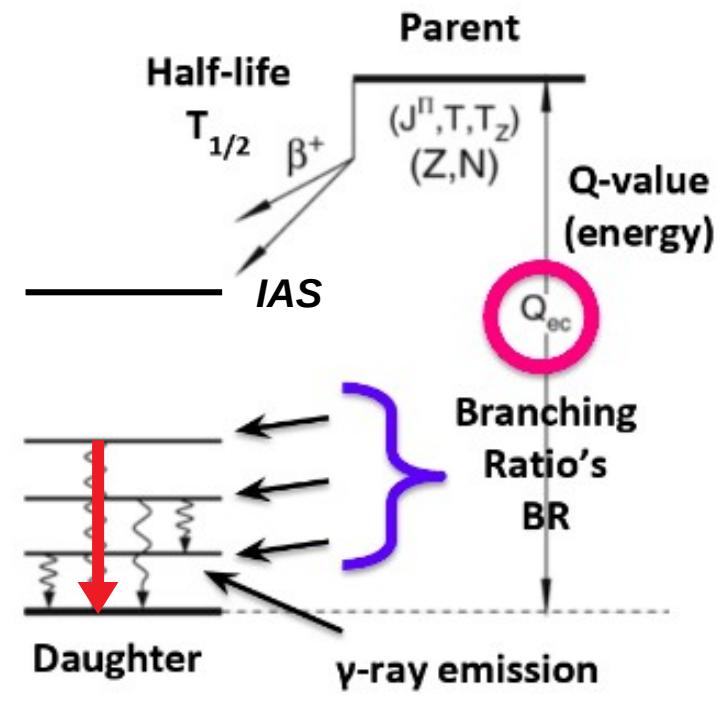
**Allowed decays ( $L=0$ ),**

Forbidden decays ( $L=1,2,3,\dots$ )

Spin angular momentum ( $S$ ) =  $S_\beta + S_{\nu}$

**Fermi decays ( $S=0$ ),**

Gamow-Teller decays ( $S=1$ )



***Isobaric Analogue State (IAS)***

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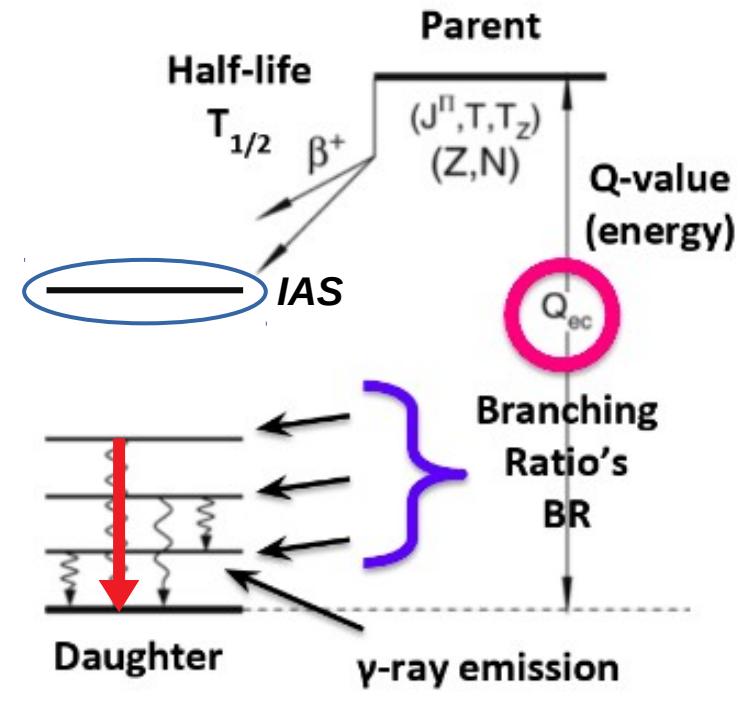
**Fermi decays ( $S=0$ ),**

Gamow-Teller decays ( $S=1$ )

Total Isospin ( $T$ ), projection ( $t_z = +1/2$  (Neutron),  $-1/2$  (Proton))

**Super ( $\delta T=0$ , transition to IAS)**

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# Nuclear $\beta$ decay – $ft$ values

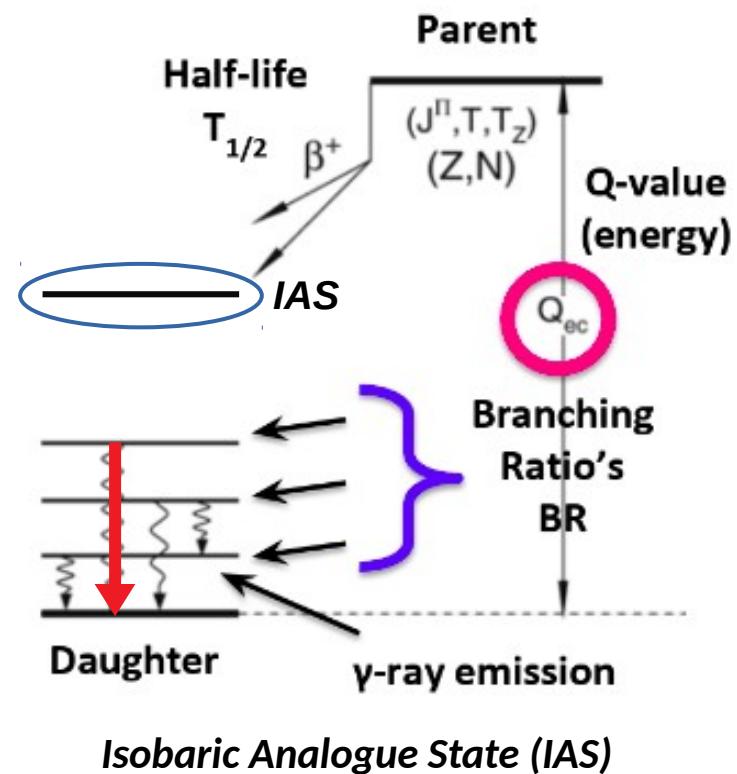
*Super ( $\Delta T=0$ , IAS) Allowed ( $L=0$ ) Fermi( $S=0$ ) decays,*

- All nuclear  $\beta$  decays to any daughter state can be characterized in terms of a single quantity known as the  $ft$  value

$$ft = \frac{f_x T_{1/2}}{BR_x} = \frac{K}{g^2 |M_{fi}|^2} = \frac{K}{2G_v} = \text{Constant}$$

Q-value      Half-life      Constants  
Branching       $f_x$        $T_{1/2}$   
Ratio       $BR_x$        $K$   
Strength       $g^2 |M_{fi}|^2$   
Matrix element       $2G_v$

For the special case of superallowed Fermi beta decay between isospin  $T=1$  states



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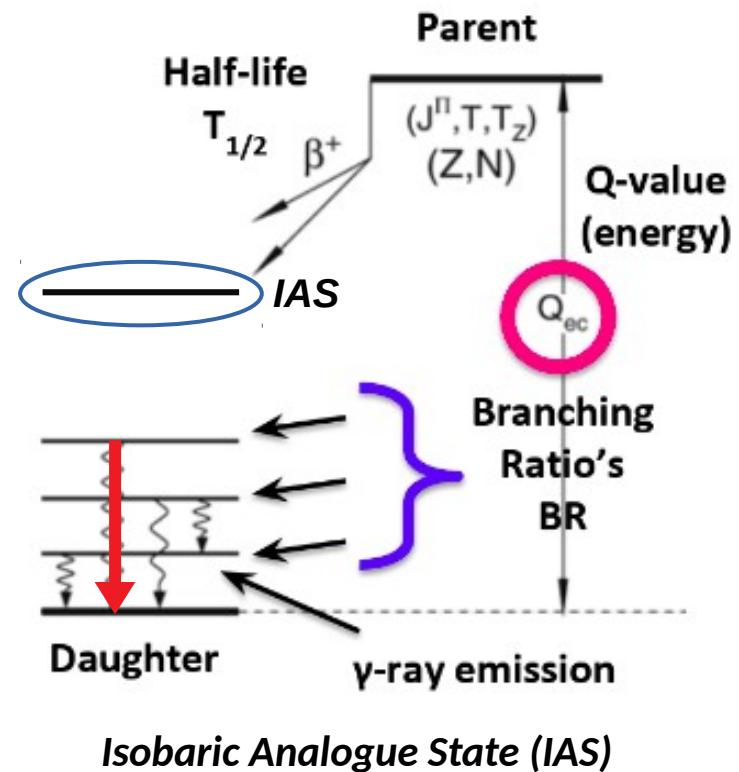
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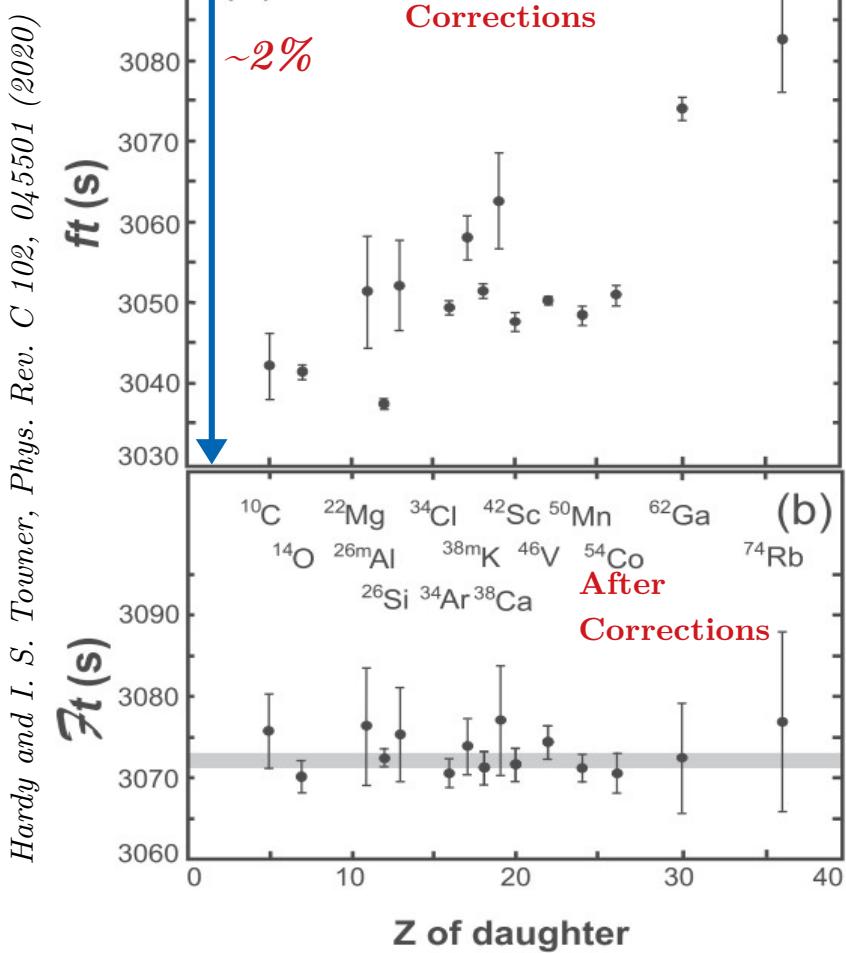
For the special case of superallowed Fermi beta decay between isospin  $T=1$  states

This can be test experimentally!





# Why $^{18}\text{Ne}$ ?



$$\text{Matrix Elements} \longrightarrow |M_{fi}|^2 = 2(1 - \delta_c)$$

$$\mathcal{F}t \equiv ft(1 + \delta'_R)(1 + \delta_{NS} - \delta_C) = \frac{K}{2G_V^2(1 + \Delta_R^V)},$$

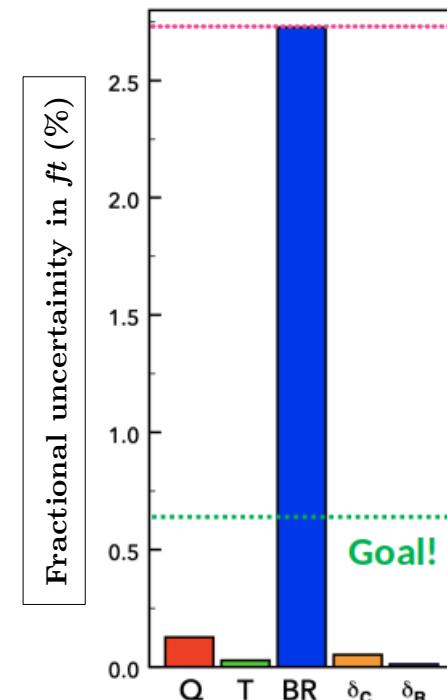
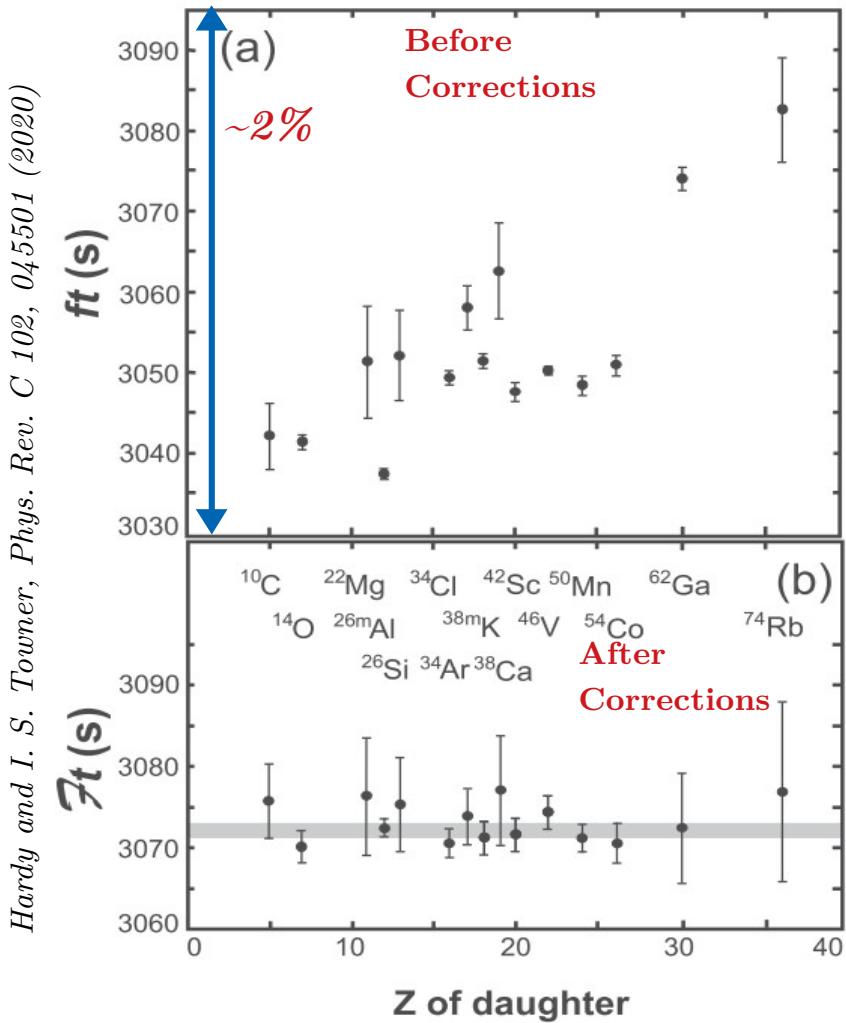
- $\Delta_R^V$  - nucleus independent- radiative correction,  $\delta'_R$  – radiative correction -transition-dependent ( $Z$ -dependent),  $\delta_c$  – isospin symmetry breaking correction and  $\delta_{NS}$  -nuclear-structure-dependent part of radiative correction
- In the recent years, our group has been investigating low  $Z$  superallowed emitters ( $^{10}\text{C}$ ,  $^{14}\text{O}$ ,  $^{18}\text{Ne}$ )
- $ft$  value for  $^{18}\text{Ne}$  is  $2912 \pm 79$  (s)
- $^{18}\text{Ne}$  is not on the plot because of the large uncertainty in the BR for this decay.
- $^{18}\text{Ne}$  ft-value is also one of the most interesting cases to better constrain isospin symmetry breaking

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# Why $^{18}\text{Ne}$ ?

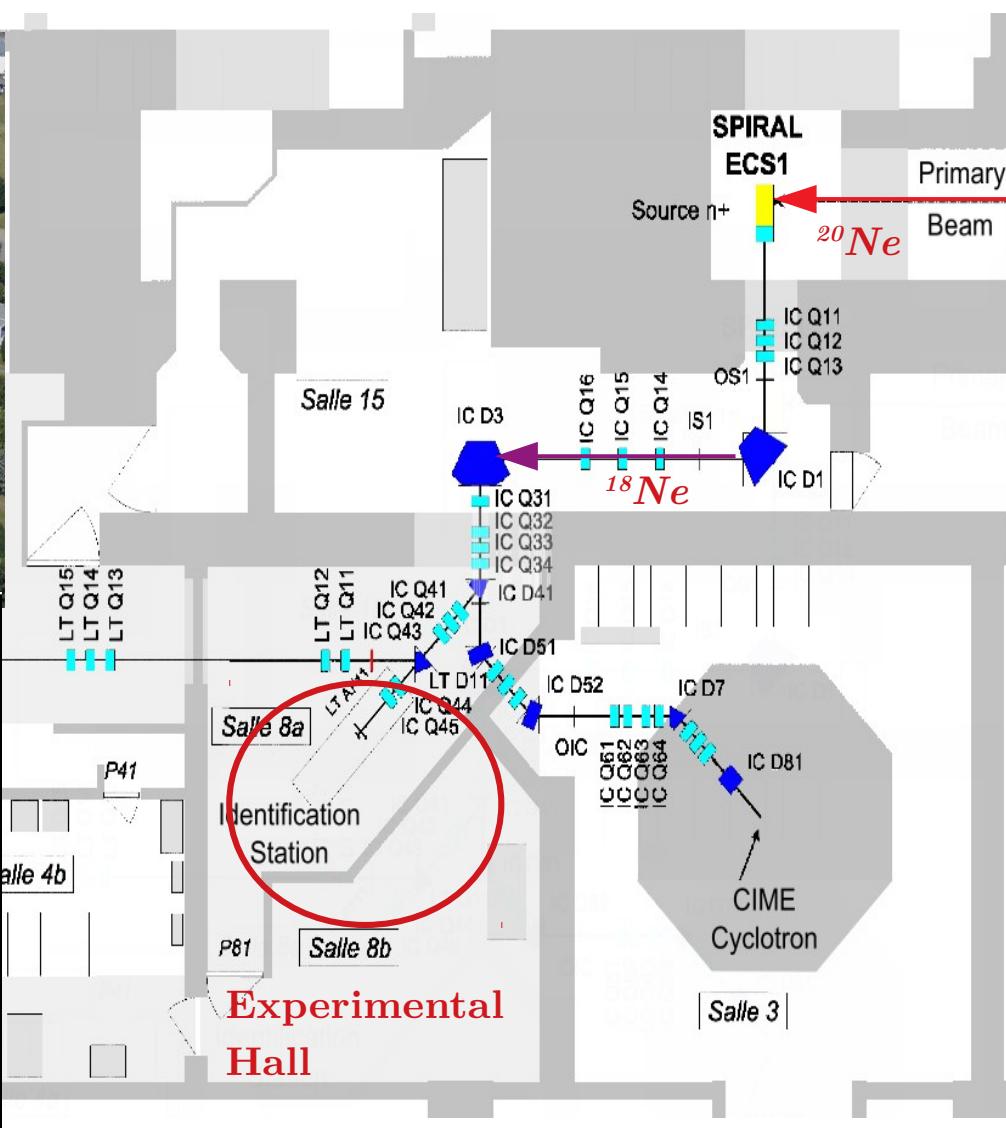


- Uncertainties dominated by BR
- Hardy *et. al.*,  $^{18}\text{Ne}$  Branching Ratio = 7.66 (0.27)%\*.
- Only one previous measurement, so our goal is to reduce the uncertainties in the BR of  $^{18}\text{Ne}$ .

\*Hardy *et. al.*, Nucl. Phys. A 246, 61 (1975).

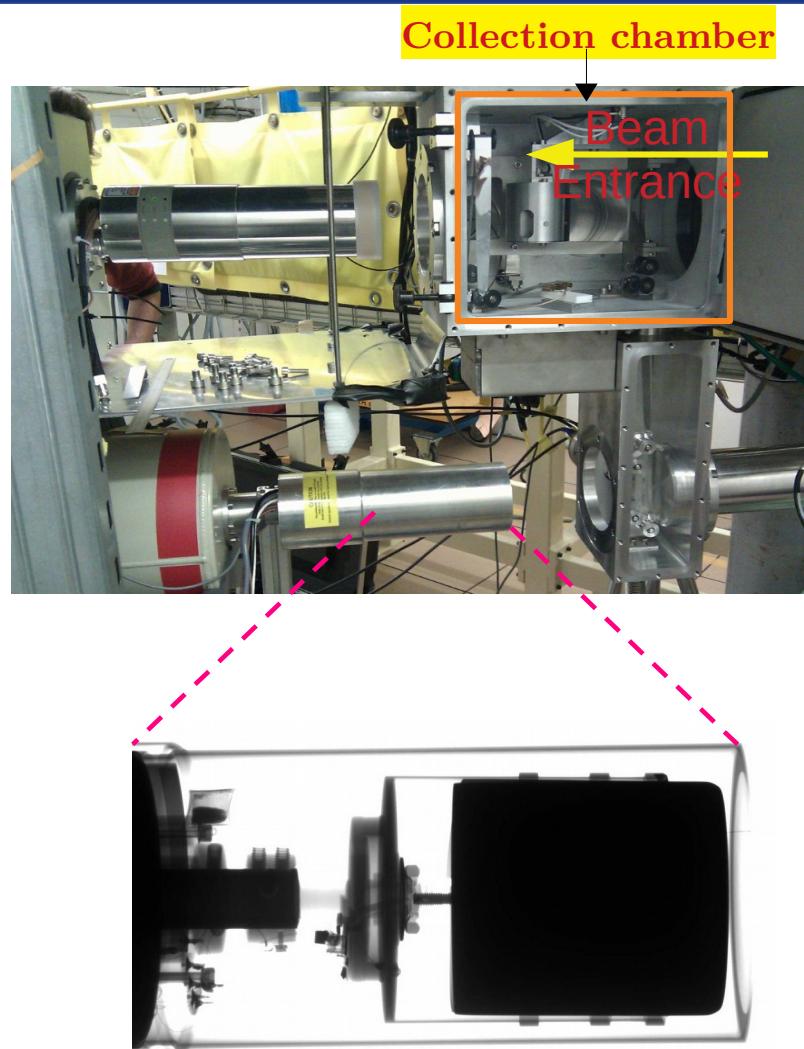
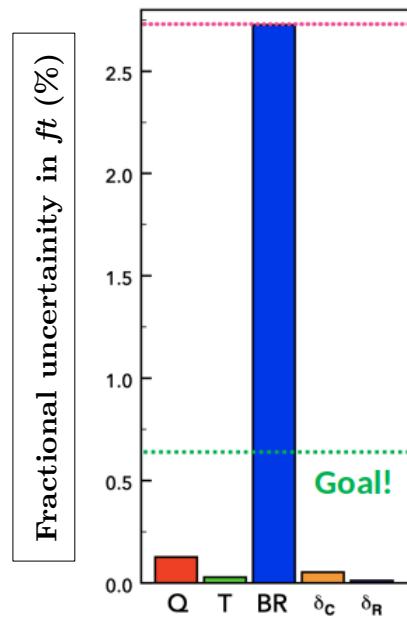
# Experimental Setup - GANIL facility in Caen, France

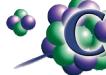
Cyclotron building



# Experimental Setup

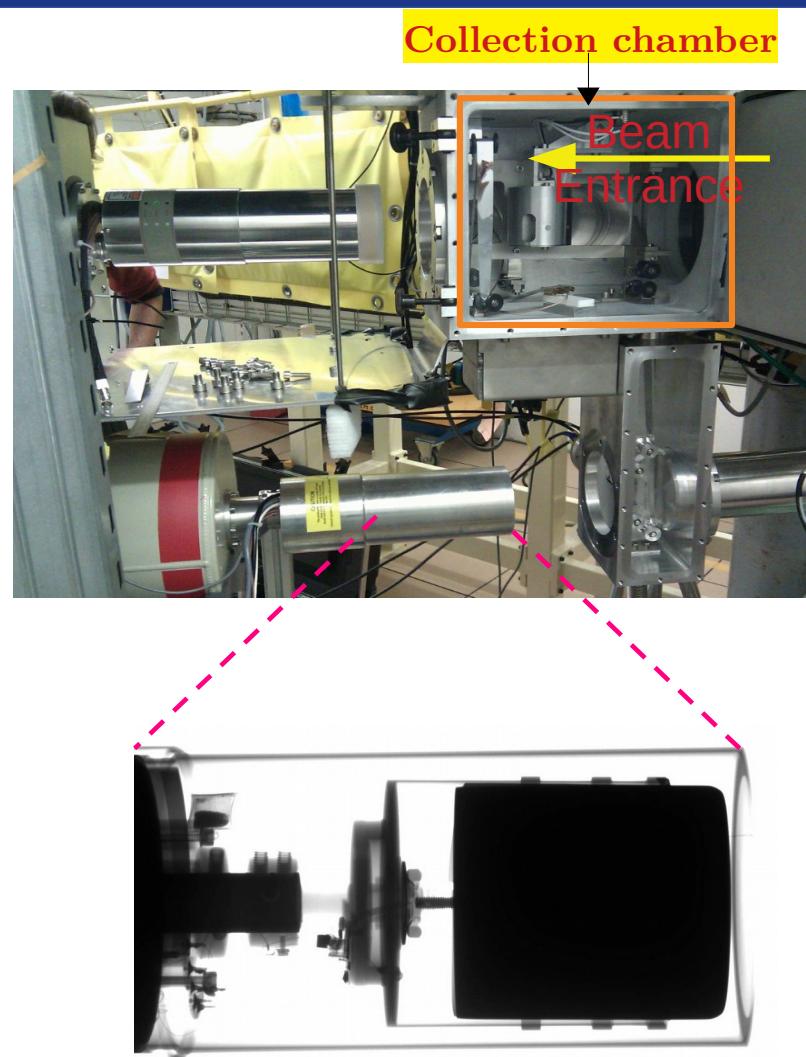
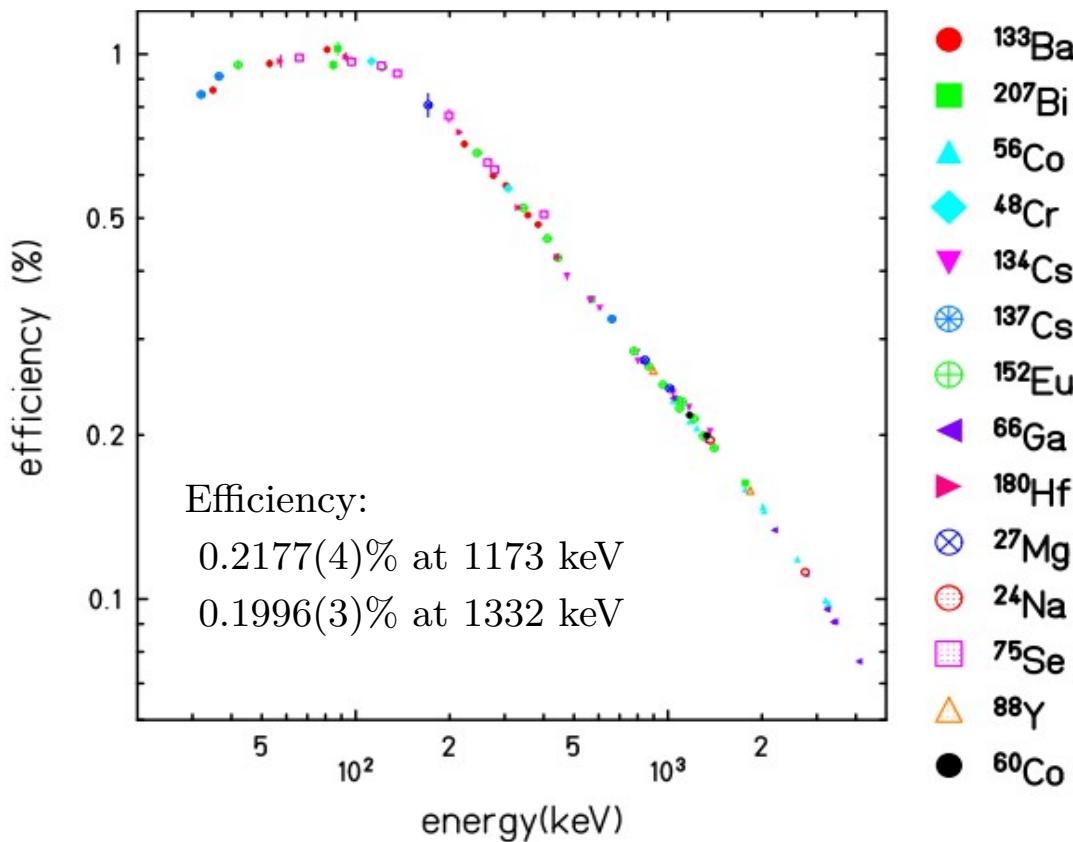
- Beams of radioactive isotopes enter the collection chamber from the right and are implanted into an aluminized-mylar tape
- The beam is then interrupted and the samples are moved to the decay counting chamber (bottom)
- **Absolute HPGe efficiency calibration**
  - Detailed source work
  - X-ray imaging
  - Source scanning table
  - Detailed simulations
  - 10 yrs of calibration!



 **CENBG** Bordeaux Group

# Experimental Setup

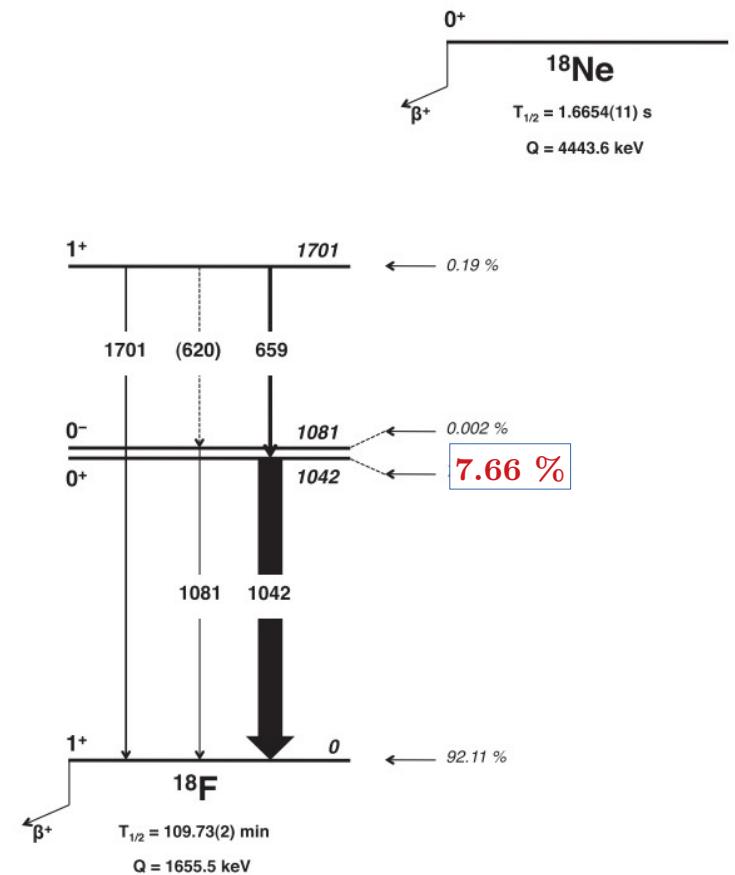
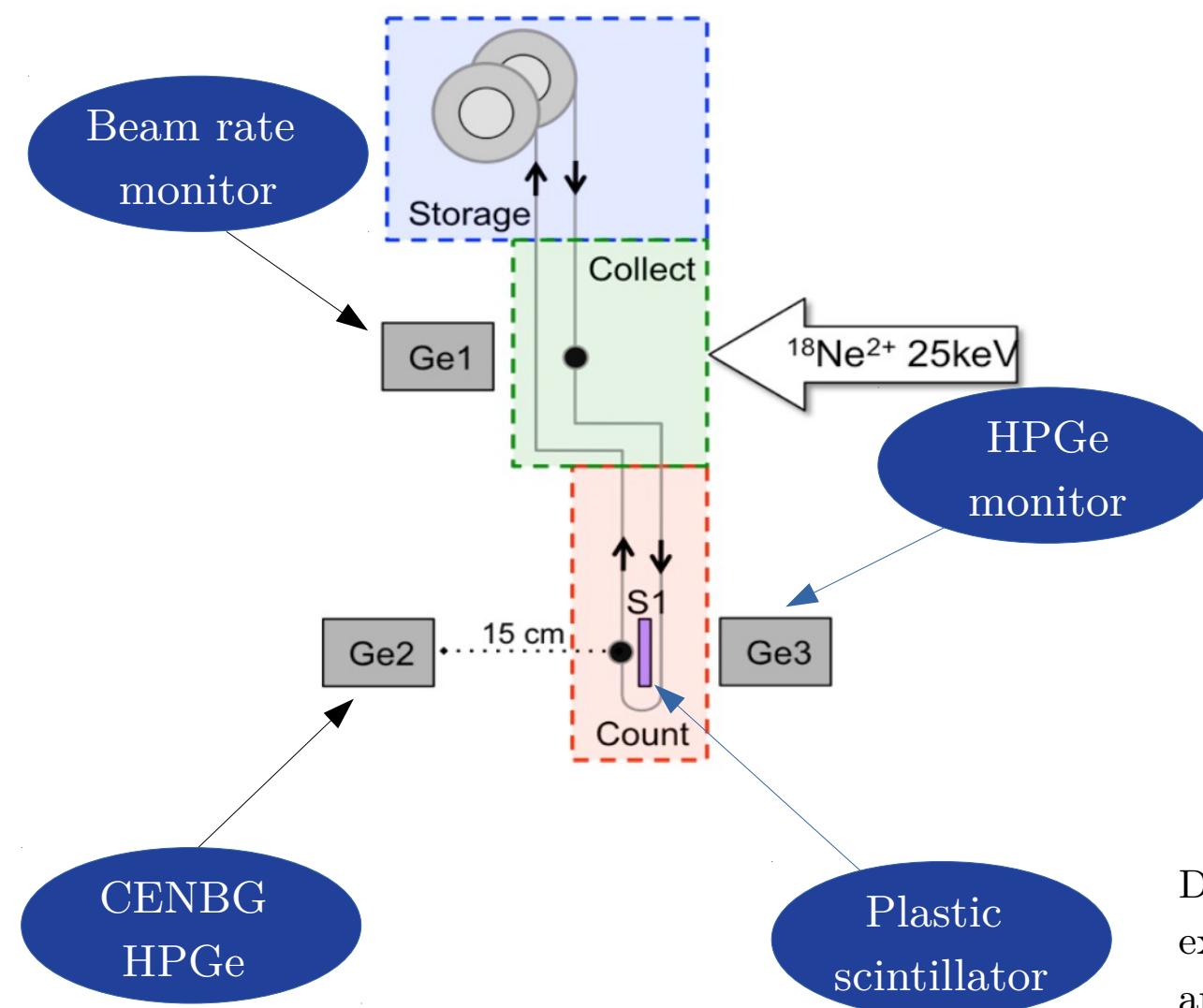
- A total of 23 different radioactive sources were used.
- Some of them are only available as a radioactive beam.
- Efficiency = 0.231 (4)% at 1042 keV.



Blank et. al., Nucl. Instr and Meth in Phys Res A 776 (2015) 34-38

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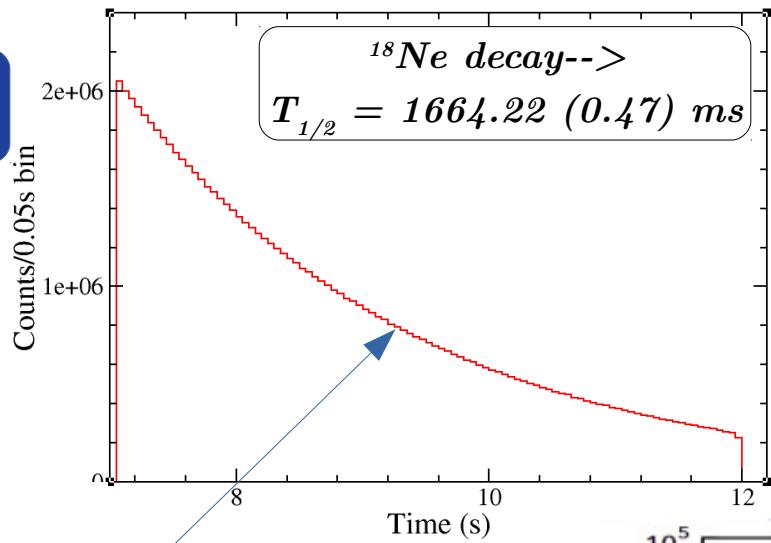
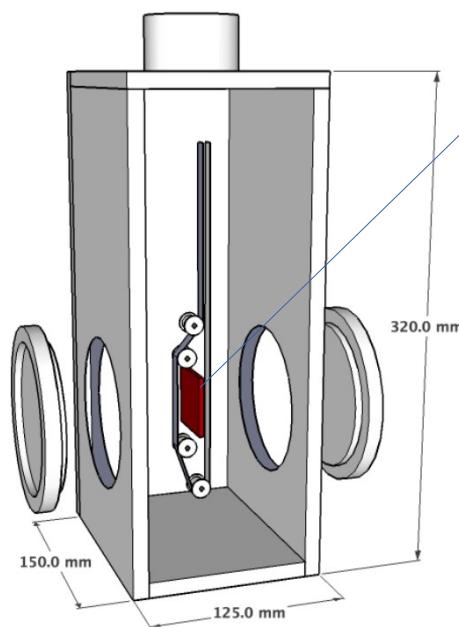
# Experimental Setup



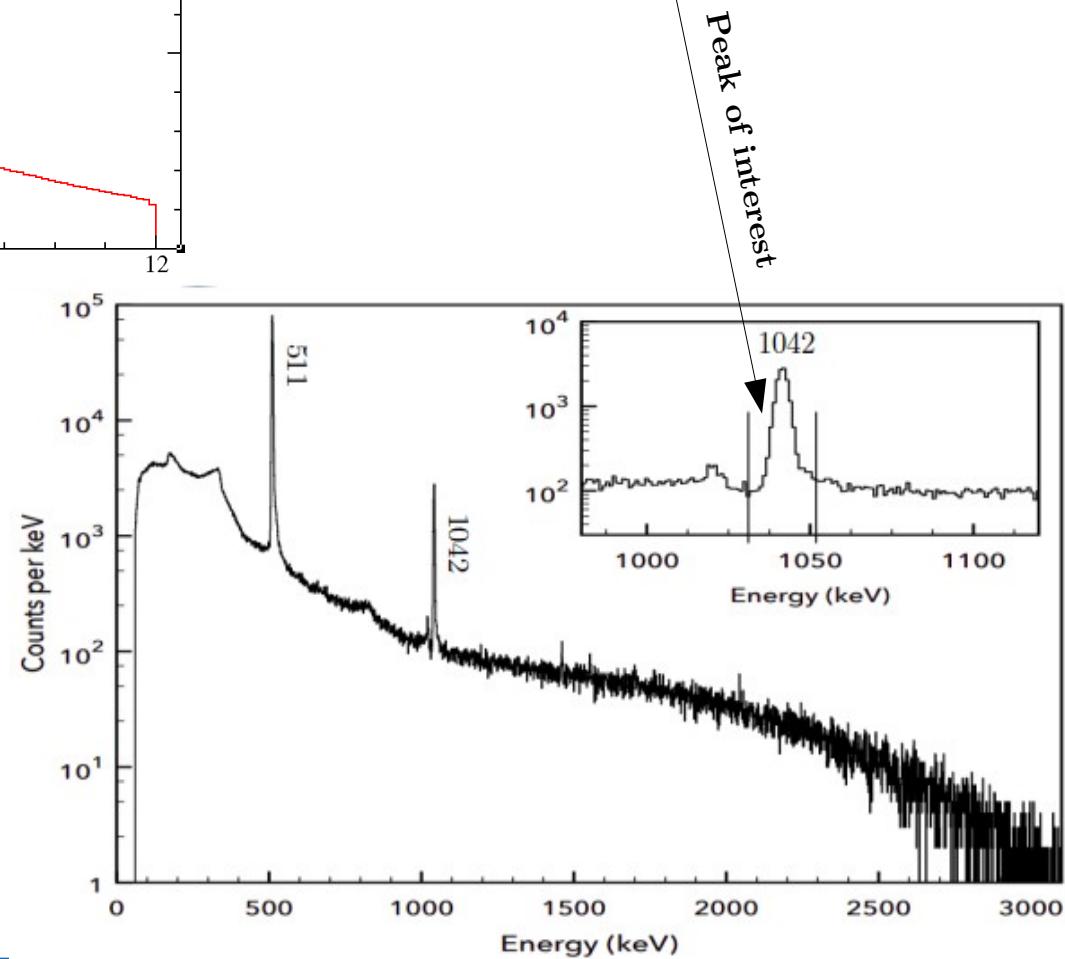
Decay scheme for  $^{18}\text{Ne}$ , the *IAS* is the  $0^+$  excited state at 1042 keV, with a BR of approximately 7.66%

# Results

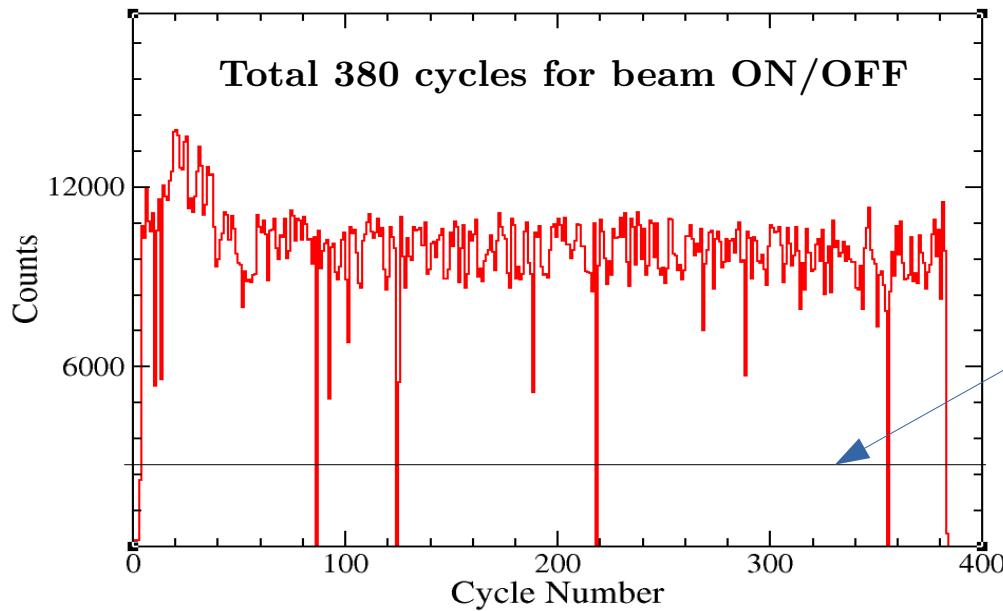
Beta Decay--  
plastic scintillator



Gamma rays--  
HPGe detector



# Results



Rate dependent Corrections  
 $\sim 33\%$  (max) - correction ( $\gamma$ -counts)  
 Well known effects:

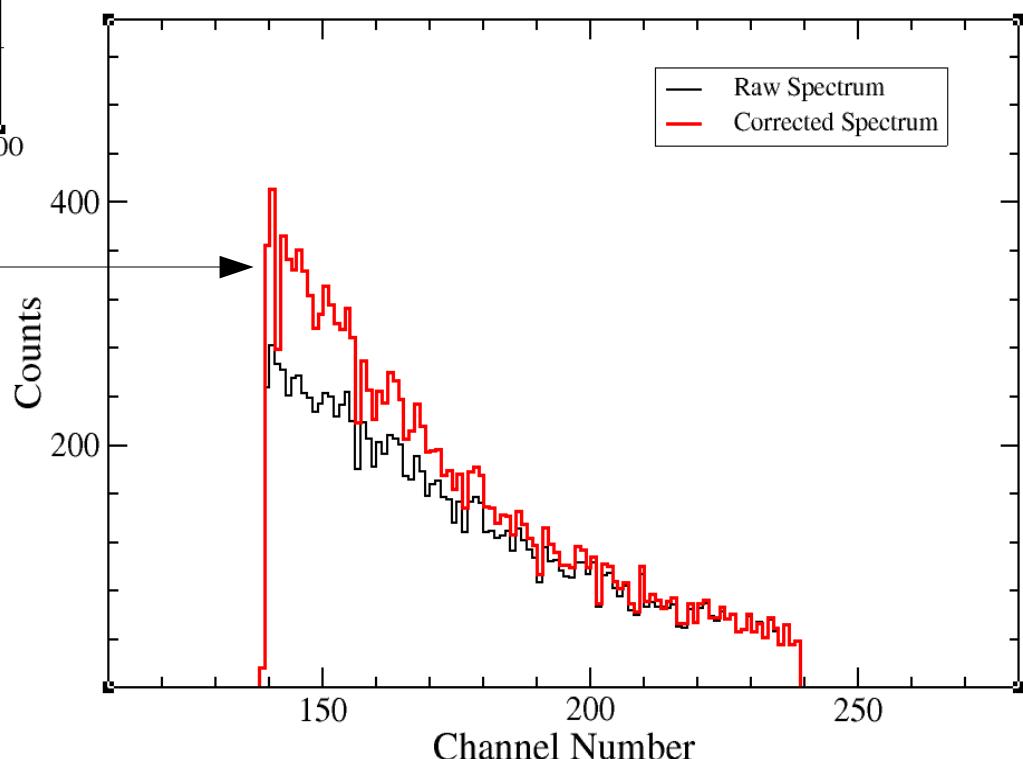


- I. Pile-up and dead-time corrections
- II. Background subtraction

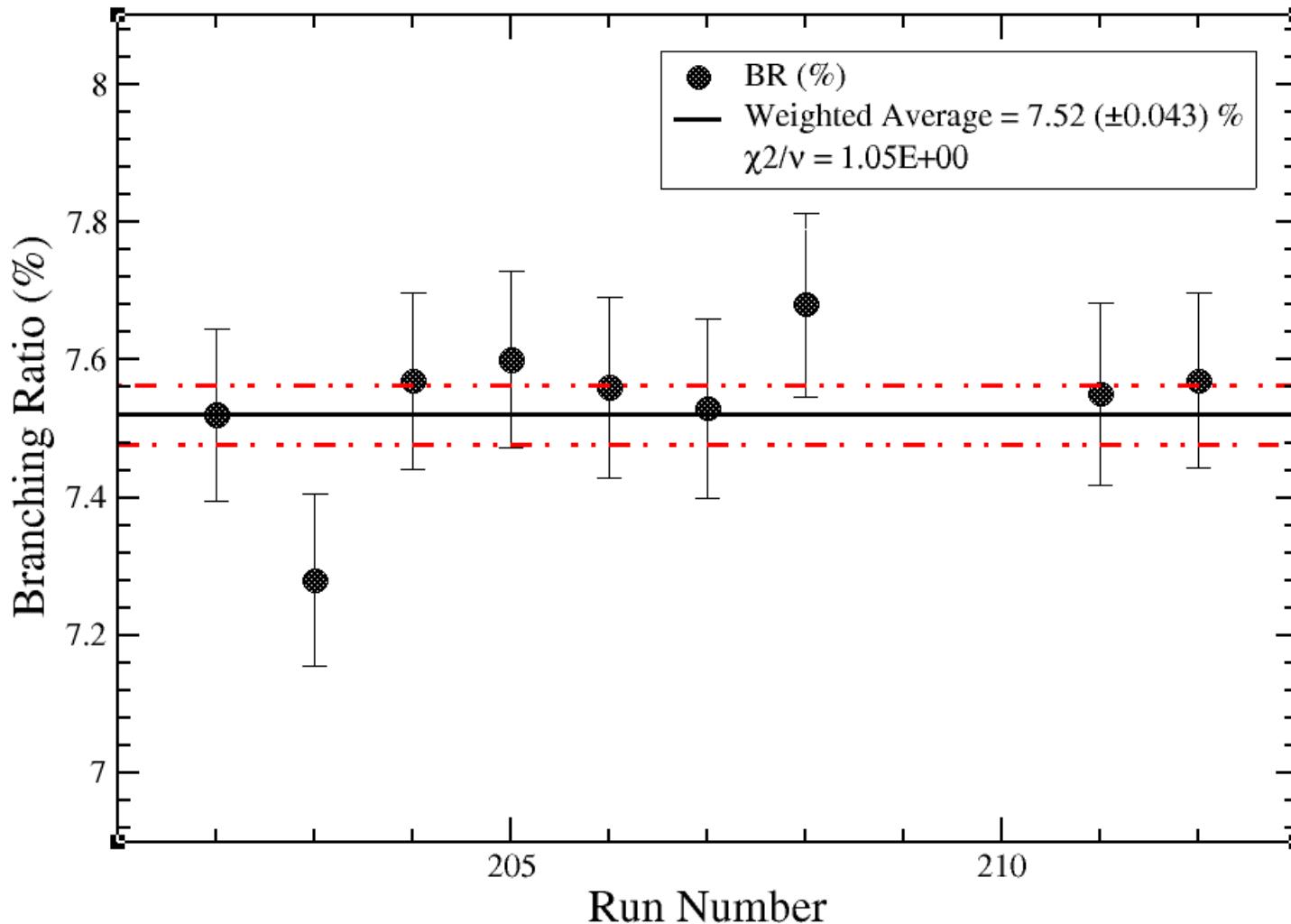
Single run:-->

$$BR \cong \frac{N_{\gamma(1042)}}{N_{\beta_{tot}}} = 7.57 (0.13) \%$$

Cycle threshold



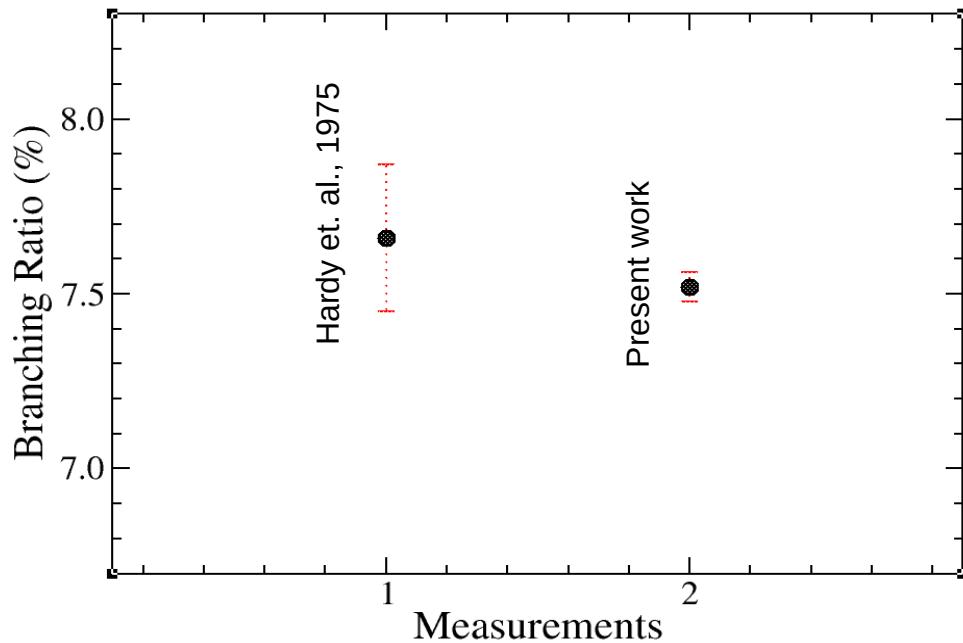
# Results



Preliminary results for  
Branching Ratio = **7.52**  
**( $\pm 0.043$ )%**

This is in excellent  
agreement and  $\sim 5$  times  
more precise than the  
previous reported value:  
 $7.66 (\pm 0.21)\%$

# Summary & Future Plan



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agreement and  $\sim 5$  times  
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previous reported value:  
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- We deduced the branching ratio of  $^{18}\text{Ne}$  from an experiment performed at GANIL.
- Obtained the value  $7.52 (\pm 0.043)\%$ , which is  $5x$  more precise than the only previous measurements.
- Results are preliminary, a detailed evaluation of systematic uncertainties is required.
- In future, we plan on revisiting the simulations of the detector efficiency. Since the branching ratio measurement is dominated by the uncertainties in the efficiency, any improvement we can make will directly decrease the uncertainty in the final result.

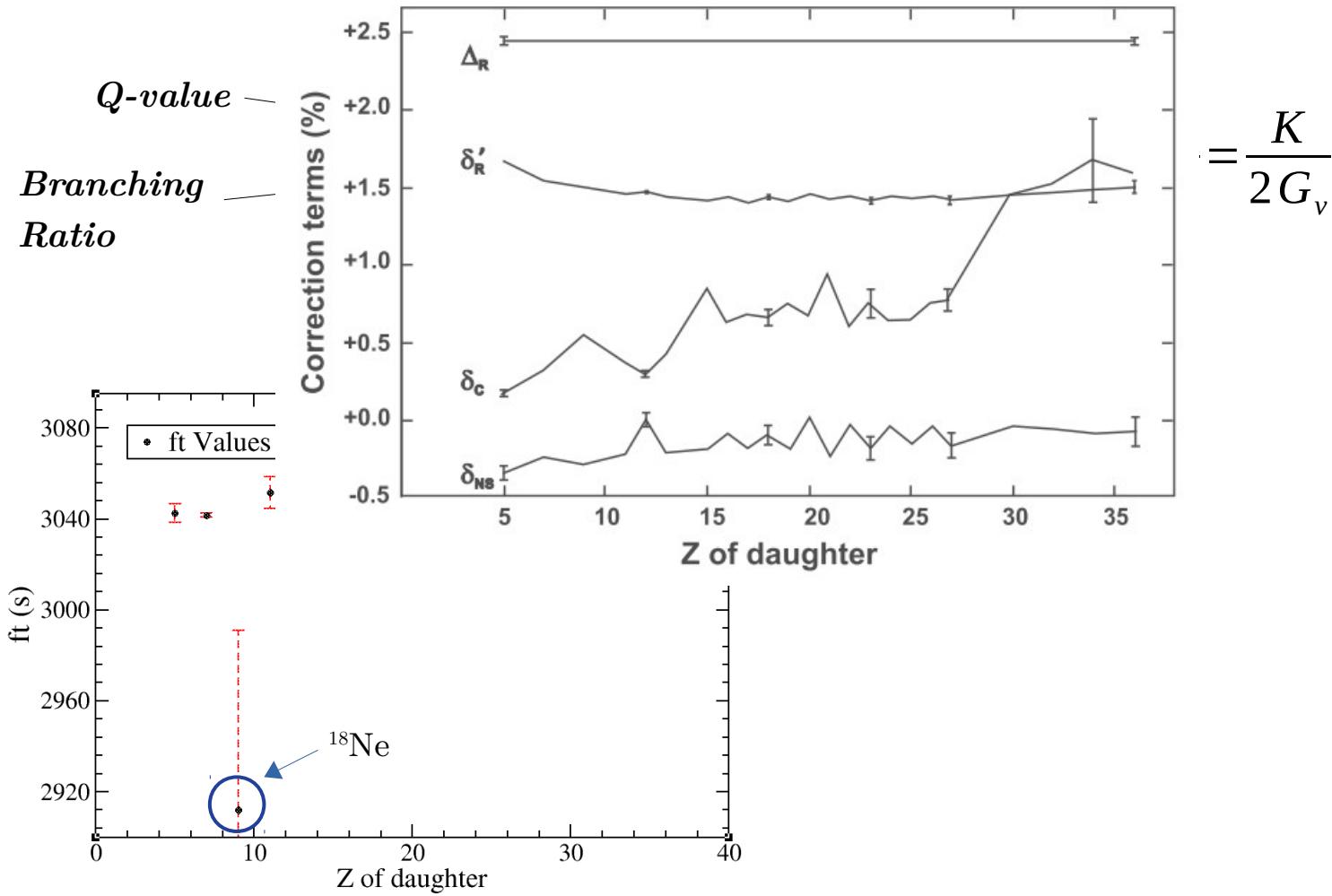
G.F. Grinyer  
A.T.Laffoley  
J.C.Thomas  
B.Blank  
H.Bouzomita  
R.A.E.Austin  
G.C.Ball  
F.Bucaille  
P.Delahaye  
P.Finlay  
G.Fremont  
J.Gibelin  
J.Giovinazzo  
T.Kurtukian-Nieto  
K.G.Leach  
A.Lefevre  
F.Legruel  
G.Lescaleie  
D.Perez-Loureiro

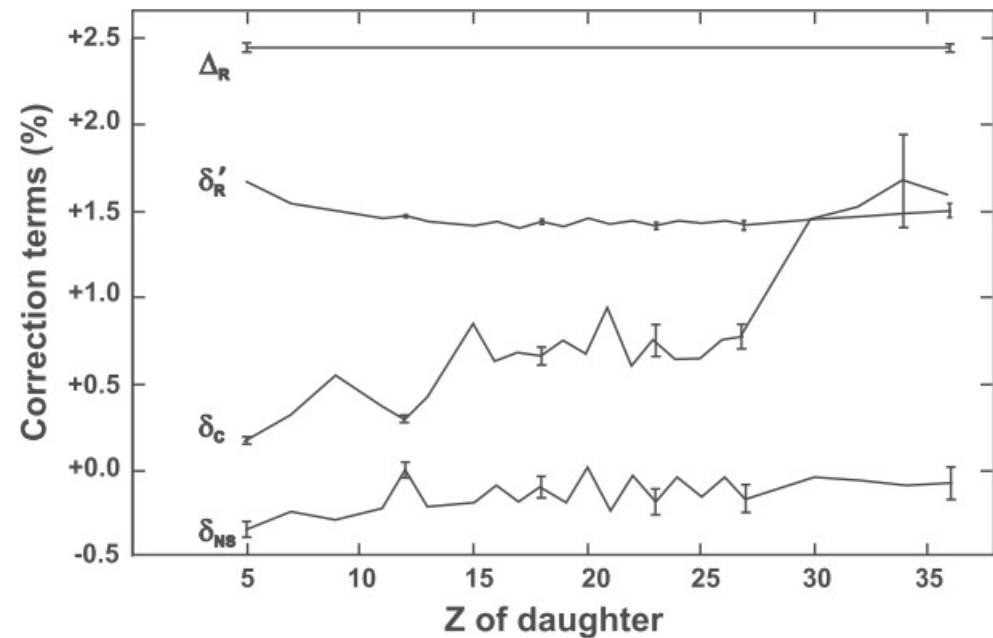


University  
of Regina



THANK YOU





# Experimental Setup

- Detector calibration table
  - Precise positioning of the source
  - Laser calibrated x,y positioning

